



7.兩個母體比例(獨立或相關)

7.1)

[ 間斷型資料的統計分析 ]

選擇

1. The goodness of fit using the pearson chi square test statistic
2. The independent test ( cross analysis) of two discrete random variable
3. The homogenous test
4. One population proportion test(With Replacement)
5. One population proportion test(Without Replacement)
6. Two independent population proportions difference test (With Replacement)
7. Two independent population proportions difference test (Without Replacement)
8. Two dependent population proportions difference test  
The proportions are the probability of multi-nomial distribution.
9. return

選擇 6，

<p>There are two independent Bernoulli population, which sampling method is with replacement. Simulating the 1st Bernoulli probability distribution, <math>B(1,p1)</math>, <math>p1</math> is population proportion. Please input <math>p1</math> value</p> <input type="text" value="0.5"/>	<p>There are two independent Bernoulli population, which sampling method is with replacement. The 1st Bernoulli probability distribution, <math>B(1,p1=0.500000)</math> Simulating the 2nd Bernoulli probability distribution, <math>B(1,p2)</math>, <math>p2</math> is population proportion. Please input <math>p2</math> value</p> <input type="text" value="0.4"/>
<p>There are two independent Bernoulli population, which sampling method is with replacement. The 1st Bernoulli probability distribution, <math>B(1,p1=0.500000)</math> The 2nd Bernoulli probability distribution, <math>B(1,p2=0.400000)</math> Two sample data will be simulated and the drawing method is with replacement, please input the 1st sample size</p> <input type="text" value="20"/>	<p>There are two independent Bernoulli population, which sampling method is with replacement. The 1st Bernoulli probability distribution, <math>B(1,p1=0.500000)</math> and the sample size=20 The 2nd Bernoulli probability distribution, <math>B(1,p2=0.500000)</math> Two sample data will be simulated and the drawing method is with replacement, please input the 2nd sample size</p> <input type="text" value="15"/>
<p>--Two independent population proportion test (Both sample sizes are large sample) ---- The 1st sample proportion= 0.4000000000, the sample size=20 The 2nd sample proportion= 0.3333333333, the sample size=15 The 1st sample summation=8 The 2nd sample summation=5 The drawing method is with replacement <math>p1</math> is 1st population proportion, <math>p2</math> is 2nd population proportion The population proportion null hypothesis value, <math>H0:p1-p2=a</math> special value, please input a special value</p> <input type="text" value="0.1"/>	



Output data ,

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X1~Bernoulli(p=0.500000) the sample size=20
X2~Bernoulli(p=0.400000) the sample size=15
----- simulating data -----
1 0 1
2 0 1
3 0 0
4 1 0
5 1 1
6 1 0
7 1 1
8 1 0
9 0 0
10 0 0
11 1 0
12 0 1
13 0 0
14 0 0
15 0 0
16 0 XXXX
17 0 XXXX
18 1 XXXX
19 1 XXXX
20 0 XXXX
----- inference statistiscs -----
--Two independent population proportion test (Both sample sizes are small sample) ----
The 1st sample proportion= 0.4000000000, the sample size=20
The 2nd sample proportion= 0.3333333333, the sample size=15
The 1st sample summation=8
The 2nd sample summation=5
The drawing method is with replacement
H0: p1-p2=0.100000 , p1 is 1st population proportion, p2 is 2nd population proportion
[ This analysis is independent test ( cross analysis) ]
There are two discrete type factors A and B.
The A factor has 2 categories which are populations,
the B factor has 2 categories which is successful and failure.
---- the observed sample number of each cell
      A1      A2      marginal
B1      8.00      5.00      13.00
B2     12.00     10.00     22.00
marginal 20.00     15.00     35.00

---- the expected sample number of each cell
      A1      A2      marginal
B1      8.00      4.00     12.00
B2     12.00     11.00     23.00
marginal 20.00     15.00     35.00

degree of freedom=1
H0: p1=p2+0.100000
pearson chi-square test statistic =0.340909
p-value=0.559300

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7.2)

[ 間斷型資料的統計分析 ]

選擇

1. The goodness of fit using the pearson chi square test statistic
2. The independent test ( cross analysis) of two discrete random variable
3. The homogenous test
4. One population proportion test(With Replacement)
5. One population proportion test(Without Replacement)
6. Two independent population proportions difference test (With Replacement)
7. Two independent population proportions difference test (Without Replacement)
8. Two dependent population proportions difference test  
The proportions are the probability of multi-nomial distribution.
9. return

選擇 6，

<p>There are two independent Bernoulli population, which sampling method is with replacement. Simulating the 1st Bernoulli probability distribution, <math>B(1,p_1)</math>, <math>p_1</math> is population proportion. Please input <math>p_1</math> value</p> <input type="text" value="0.5"/>	<p>There are two independent Bernoulli population, which sampling method is with replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2)</math>, <math>p_2</math> is population proportion. Please input <math>p_2</math> value</p> <input type="text" value="0.4"/>
<p>There are two independent Bernoulli population, which sampling method is with replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> The 2nd Bernoulli probability distribution, <math>B(1,p_2=0.400000)</math> Two sample data will be simulated and the drawing method is with replacement, please input the 1st sample size</p> <input type="text" value="40"/>	<p>There are two independent Bernoulli population, which sampling method is with replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> and the sample size=40 The 2nd Bernoulli probability distribution, <math>B(1,p_2=0.500000)</math> Two sample data will be simulated and the drawing method is with replacement, please input the 2nd sample size</p> <input type="text" value="40"/>
<p>--Two independent population proportion test (Both sample sizes are large sample) ---- The 1st sample proportion= 0.4000000000, the sample size=20 The 2nd sample proportion= 0.3333333333, the sample size=15 The 1st sample summation=8 The 2nd sample summation=5 The drawing method is with replacement <math>p_1</math> is 1st population proportion, <math>p_2</math> is 2nd population proportion The population proportion null hypothesis value, <math>H_0:p_1-p_2=a</math> special value, please input a special value</p> <input type="text" value="0.1"/>	



Output data ,

X1~Bernoulli(p=0.500000) the sample size=40  
X2~Bernoulli(p=0.400000) the sample size=40

----- simulating data -----

```
1 0 0
2 0 0
3 1 0
4 0 1
5 1 0
6 0 0
7 0 0
8 0 0
9 1 0
10 1 0
11 0 1
12 1 1
13 0 1
14 1 0
15 0 1
16 0 0
17 1 1
18 1 1
19 1 0
20 0 0
21 1 0
22 1 0
23 1 0
24 0 0
25 0 0
26 1 1
27 0 1
28 1 0
29 1 0
30 1 0
31 1 0
32 1 0
33 1 0
34 0 1
35 0 0
36 1 0
37 1 0
38 1 0
39 1 0
40 1 1
```

----- inference statistiscs -----

--Two independent population proportion test (Both sample sizes are large sample) ----

The 1st sample proportion= 0.6000000000, the sample size=40

The 2nd sample proportion= 0.2750000000, the sample size=40

The 1st sample summation=24

The 2nd sample summation=11

The 1st sample proportin=0.600000

The 2nd sample proportin=0.275000

The drawing method is with replacement

H0:  $p_1 - p_2 = 0.100000$  ,  $p_1$  is 1st population proportion,  $p_2$  is 2nd population proportion

Z test value=2.146816

left tail test p-value= 0.9841

right tail test p-value= 0.0159

two tailes test p-value= 0.0318

90% confidence interval for  $p_1 - p_2$

[0.152603 , 0.497397]

95% confidence interval for  $p_1 - p_2$

[0.119579 , 0.530421]

99% confidence interval for  $p_1 - p_2$

[0.055003 , 0.594997]



7.3)

[ 間斷型資料的統計分析 ]

選擇

1. The goodness of fit using the pearson chi square test statistic
2. The independent test ( cross analysis) of two discrete random variable
3. The homogenous test
4. One population proportion test(With Replacement)
5. One population proportion test(Without Replacement)
6. Two independent population proportions difference test (With Replacement)
7. Two independent population proportions difference test (Without Replacement)
8. Two dependent population proportions difference test  
The proportions are the probability of multi-nomial distribution.
9. return

選擇 7，

<p>There are two independent Bernoulli population, which sampling method is without replacement. Simulating the 1st Bernoulli probability distribution, <math>B(1,p_1)</math>, <math>p_1</math> is population proportion. Please 1st population number</p> <input type="text" value="60"/>	<p>There are two independent Bernoulli population, which sampling method is without replacement. Simulating the 1st Bernoulli probability distribution, <math>B(1,p_1)</math>, <math>p_1</math> is population proportion. The 1st population number=60 please input 1st successful number</p> <input type="text" value="40"/>
<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.666667)</math> The 1st population number=60 The 1st successful number=40 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2)</math>, <math>p_2</math> is population proportion. Please 2nd population number</p> <input type="text" value="50"/>	<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.666667)</math> The 1st population number=60 The 1st successful number=40 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2)</math>, <math>p_2</math> is population proportion. The 2nd population number=50 please input 2nd successful number</p> <input type="text" value="30"/>
<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.666667)</math> The 1st population number=60 The 1st successful number=40 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2=0.600000)</math>, The 2nd population number=50 The 2nd successful number=30 Two sample data will be simulated and the drawing method is without replacement, please input the 1st sample size</p> <input type="text" value="30"/>	<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.666667)</math> The 1st population number=60 The 1st successful number=40 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2=0.600000)</math>, The 2nd population number=50 The 2nd successful number=30 The 1st sample size=30 Two sample data will be simulated and the drawing method is without replacement, please input the 2nd sample size</p> <input type="text" value="30"/>
<p>--Two independent population proportion test (Both sample sizes are large sample) -- The 1st sample proportion= 0.7333333333, the sample size=30 The 2nd sample proportion= 0.5333333333, the sample size=30 The 1st sample summation=22 The 2nd sample summation=16 The drawing method is without replacement <math>p_1</math> is 1st population proportion, <math>p_2</math> is 2nd population proportion The population proportion null hypothesis value, <math>H_0:p_1-p_2=a</math> special value, please input a special value</p> <input type="text" value="0"/>	

Output data，

There are two independent Bernoulli population, which sampling method is without replacement.  
The 1st Bernoulli probability distribution,  $B(1,p_1=0.666667)$   
The 1st population number=60  
The 1st successful number=40  
Simulating the 2nd Bernoulli probability distribution,  $B(1,p_2=0.600000)$ ,  
The 2nd population number=50  
The 2nd successful number=30



The 1st sample size=30

The 2nd sample size=30

----- simulating data -----

```
1 1 0
2 1 0
3 1 1
4 1 1
5 0 0
6 0 1
7 1 1
8 0 0
9 1 1
10 1 1
11 0 0
12 0 1
13 1 1
14 1 0
15 0 1
16 1 1
17 1 0
18 1 0
19 1 1
20 1 0
21 1 1
22 1 1
23 1 0
24 1 1
25 0 0
26 1 0
27 1 0
28 0 1
29 1 1
30 1 0
```

----- inference statistiscs -----

--Two independent population proportion test (Both sample sizes are small sample) ----

The 1st Bernoulli probability distribution,  $B(1, p_1=0.666667)$

The 1st population number=60

The 1st successful number=40

Simulating the 2nd Bernoulli probability distribution,  $B(1, p_2=0.600000)$

The 2nd population number=50

The 2nd successful number=30

The 1st sample size=30

The 2nd sample size=30

The 1st sample summation=22

The 2nd sample summation=16

The 1st sample porportion=0.733333

The 2nd sample porportion=0.533333

The drawing method is without replacement

$H_0: p_1 - p_2 = 0.000000$ ,  $p_1$  is 1st population proportion,  $p_2$  is 2nd population proportion

The common sample proportion=0.633333

Z test value=2.374323

left tail test p-value= 0.9913

right tail test p-value= 0.0087

two tailes test p-value= 0.0174

90% confidence interval for  $p_1 - p_2$

[0.065351, 0.334649]

95% confidence interval for  $p_1 - p_2$

[0.039558, 0.360442]

99% confidence interval for  $p_1 - p_2$

[-0.010878, 0.410878]



7.4)

[ 間斷型資料的統計分析 ]

選擇

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7. Two independent population proportions difference test (Without Replacement)
8. Two dependent population proportions difference test  
The proportions are the probability of multi-nomial distribution.
9. return

選擇 7，

<p>There are two independent Bernoulli population, which sampling method is without replacement. Simulating the 1st Bernoulli probability distribution, <math>B(1,p_1)</math>, <math>p_1</math> is population proportion. Please 1st population number</p> <input type="text" value="20"/>	<p>There are two independent Bernoulli population, which sampling method is without replacement. Simulating the 1st Bernoulli probability distribution, <math>B(1,p_1)</math>, <math>p_1</math> is population proportion. The 1st population number=20 please input 1st successful number</p> <input type="text" value="10"/>
<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> The 1st population number=20 The 1st successful number=10 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2)</math>, <math>p_2</math> is population proportion. Please 2nd population number</p> <input type="text" value="25"/>	<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> The 1st population number=20 The 1st successful number=10 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2)</math>, <math>p_2</math> is population proportion. The 2nd population number=25 please input 2nd successful number</p> <input type="text"/>
<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> The 1st population number=20 The 1st successful number=10 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2=0.600000)</math>, The 2nd population number=25 The 2nd successful number=15 Two sample data will be simulated and the drawing method is without replacement, please input the 1st sample size</p> <input type="text" value="10"/>	<p>There are two independent Bernoulli population, which sampling method is without replacement. The 1st Bernoulli probability distribution, <math>B(1,p_1=0.500000)</math> The 1st population number=20 The 1st successful number=10 Simulating the 2nd Bernoulli probability distribution, <math>B(1,p_2=0.600000)</math>, The 2nd population number=25 The 2nd successful number=15 The 1st sample size=10 Two sample data will be simulated and the drawing method is without replacement, please input the 2nd sample size</p> <input type="text" value="5"/>
<p>--Two independent population proportion test (Both sample sizes are large sample) ---- The 1st sample proportion= 0.5000000000, the sample size=10 The 2nd sample proportion= 0.6000000000, the sample size=5 The 1st sample summation=5 The 2nd sample summation=3 The drawing method is without replacement <math>p_1</math> is 1st population proportion, <math>p_2</math> is 2nd population proportion The population proportion null hypothesis value, <math>H_0:p_1-p_2=a</math> special value, please input a special value</p> <input type="text" value="0"/>	



Output data ,

```

There are two independent Bernoulli population,
which sampling method is without replacement.
The 1st Bernoulli probability distribution, B(1,p1=0.500000)
The 1st population number=20
The 1st successful number=10
Simulating the 2nd Bernoulli probability distribution, B(1,p2=0.600000),
The 2nd population number=25
The 2nd successful number=15
The 1st sample size=10
The 2nd sample size=5
----- simulating data -----
1 0 1
2 0 1
3 1 0
4 1 0
5 0 1
6 1 XXXX
7 0 XXXX
8 1 XXXX
9 0 XXXX
10 1 XXXX
----- inference statistiscs -----
--Two independent population proportion test (Both sample sizes are small sample) ----
The 1st Bernoulli probability distribution, B(1,p1=0.500000)
The 1st population number=20
The 1st successful number=10
Simulating the 2nd Bernoulli probability distribution, B(1,p2=0.600000),
The 2nd population number=25
The 2nd successful number=15
The 1st sample size=10
The 2nd sample size=5
The 1st sample summation=5
The 2nd sample summation=3
The 1st sample porportion=0.500000
The 2nd sample porportion=0.600000
The drawing method is without replacement
H0: p1-p2=0.000000 , p1 is 1st population proportion, p2 is 2nd population proportion
The total sample size which is too small. The statistical analysis cannot be done.

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